

In-Situ Observations Within The ECCO Reanalysis Framework

2024 IQuOD/GTSPP/SOOP/XBT/IODE meeting

Gaël Forget

Bologna, Italy

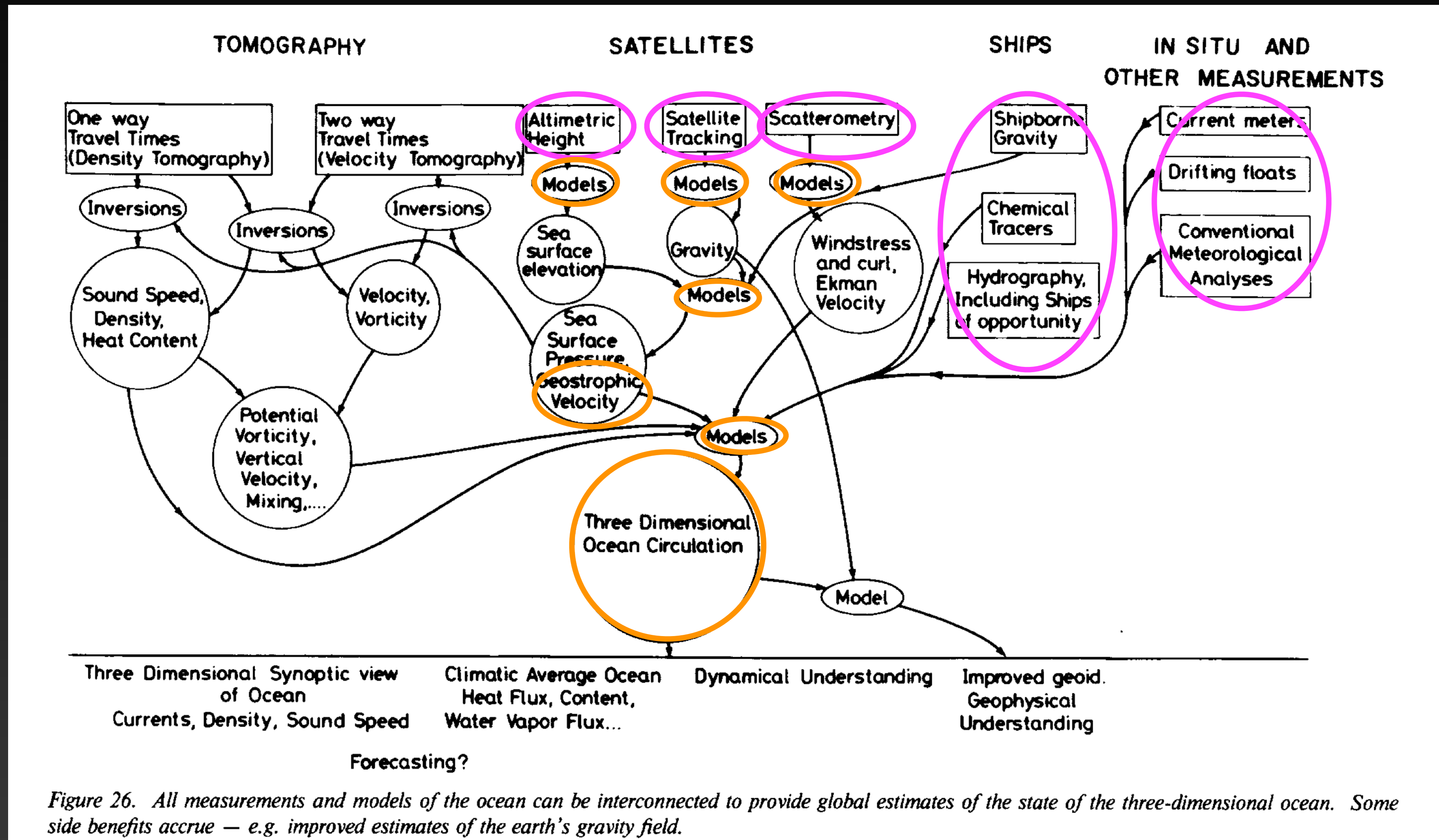
2024/11/13

Outline

- What's ECCO?
- In-situ data in ECCO
- The growing ECCO community

ECCO Version 0 : the concept

Carl Wunsch, 1982, Acoustic Tomography and Other Answers



ECCO version 4 : the implementation

An integrated framework for non-linear inverse modeling and global ocean state estimation
Forget, Campin, Heimbach, Hill, Ponte, Wunsch, 2015

Included Observational Data

MDT	DNSC08 mean SSH minus EGM2008 geoid model	1993–2004	6.2×10^4
T, S	Blended monthly climatology OCCA WOA 2005 PHC 3.0	2004–2006 Unclear Unclear	$2 \times 5.7 \times 10^8$
SLA	Daily bin average of along-track altimetry	1992–2011	7.7×10^7
SST	Monthly maps	1992–2011	1.5×10^7
ICF	Monthly maps	1992–2010	1.4×10^7
Data set	T profiles	S profiles	
Argo	833 033	800 269	
CTD	379 012	333 266	
XBT	597 009	0	
ITP	18 033	17 745	
SEaOS	103 117	87 806	
bobbers	7894	0	
CTD	161	161	

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$$\frac{\partial \mathbf{v}}{\partial t} + (f + \zeta) \hat{\mathbf{k}} \times \mathbf{v} + \nabla_z^* \text{KE} + w \frac{\partial \mathbf{v}}{\partial z} + g \nabla_z^* \eta + \nabla_h \Phi'$$
$$= \mathbf{D}_{z^*,v} + \mathbf{D}_{\perp,v} + \mathcal{F}_v,$$

(1)

$$\frac{\partial \Phi'}{\partial z} = g \frac{\rho'}{\rho_c},$$

(2)

$$\frac{1}{H} \frac{\partial \eta}{\partial t} + \nabla_z^* (s^* \mathbf{v}) + \frac{\partial w}{\partial z^*} = s^* \mathcal{F},$$

(3)

$$\frac{\partial (s^* \theta)}{\partial t} + \nabla_z^* (s^* \theta \mathbf{v}_{\text{res}}) + \frac{\partial (\theta w_{\text{res}})}{\partial z^*}$$
$$= s^* (\mathcal{F}_\theta + D_{\sigma,\theta} + D_{\perp,\theta}),$$

(4)

$$\frac{\partial (s^* S)}{\partial t} + \nabla_z^* (s^* S \mathbf{v}_{\text{res}}) + \frac{\partial (S w_{\text{res}})}{\partial z^*}$$
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Ocean Model

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Cost Function

$$J(\mathbf{u}) = \sum_i \alpha_i \times \left(d_i^T \mathbf{R}_i^{-1} d_i\right) + \sum_j \beta_j \times \left(\mathbf{u}_j^T \mathbf{u}_j\right)$$

$$d_i = \mathcal{P}(m_i - o_i),$$

$$m_i = \mathcal{SDM}(\mathbf{v}),$$

$$\mathbf{v} = \mathcal{Q}(\mathbf{u}),$$

$$\mathbf{u} = \mathcal{R}(\mathbf{u}'),$$

$$\begin{aligned} \frac{\partial \mathbf{v}}{\partial t} + (f + \zeta) \hat{\mathbf{k}} \times \mathbf{v} + \nabla_{z^*} \text{KE} + w \frac{\partial \mathbf{v}}{\partial z} + g \nabla_{z^*} \eta + \nabla_h \Phi' \\ = \mathbf{D}_{z^*, \mathbf{v}} + \mathbf{D}_{\perp, \mathbf{v}} + \mathcal{F}_{\mathbf{v}}, \end{aligned} \tag{1}$$

$$\frac{\partial \Phi'}{\partial z} = g \frac{\rho'}{\rho_c}, \tag{2}$$

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$$\mathbf{u} = \mathcal{R}(\mathbf{u}'),$$

Optimized Parameters

Initial condition for temperature	N/A	2.4×10^6
Initial condition for salinity	N/A	2.4×10^6
Diapycnal diffusivity	Time mean	2.4×10^6
Isopycnal diffusivity	Time mean	2.4×10^6
GM intensity	Time mean	2.4×10^6
Atmospheric temperature at 2 m	Bi-weekly	3.2×10^7
Specific humidity at 2 m	Bi-weekly	3.2×10^7
Precipitation	Bi-weekly	3.2×10^7
Downward longwave radiation	Bi-weekly	3.2×10^7
Downward shortwave radiation	Bi-weekly	3.2×10^7
Zonal wind stress	Bi-weekly	3.1×10^7
Meridional wind stress	Bi-weekly	3.1×10^7

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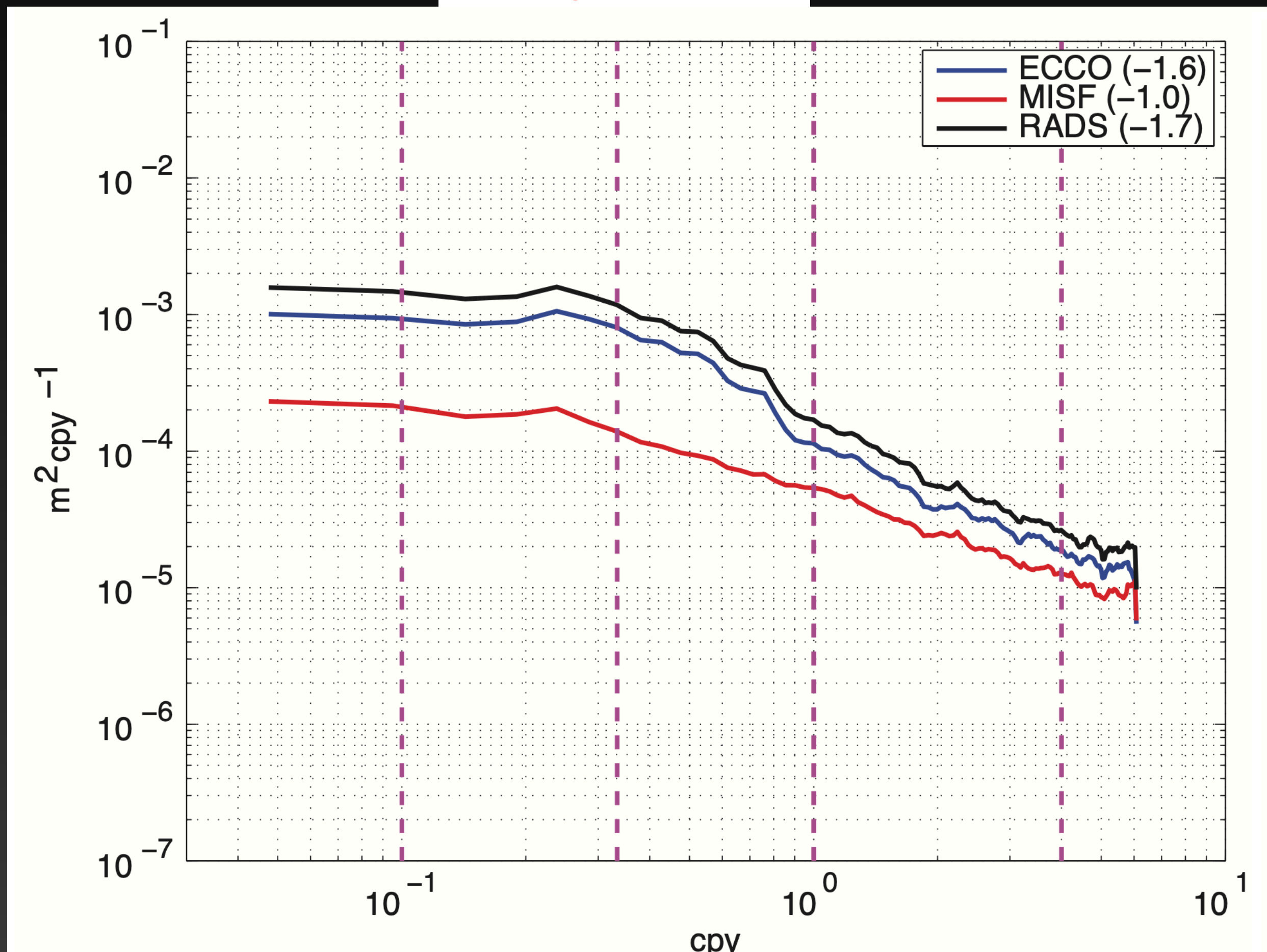
$$= s^* (\mathcal{F}_S + D_{\sigma, S} + D_{\perp, S}),$$

Ocean Model

The partition of regional sea level variability

Forget and Ponte, *progress in oceanography*, 2015

Large Scale

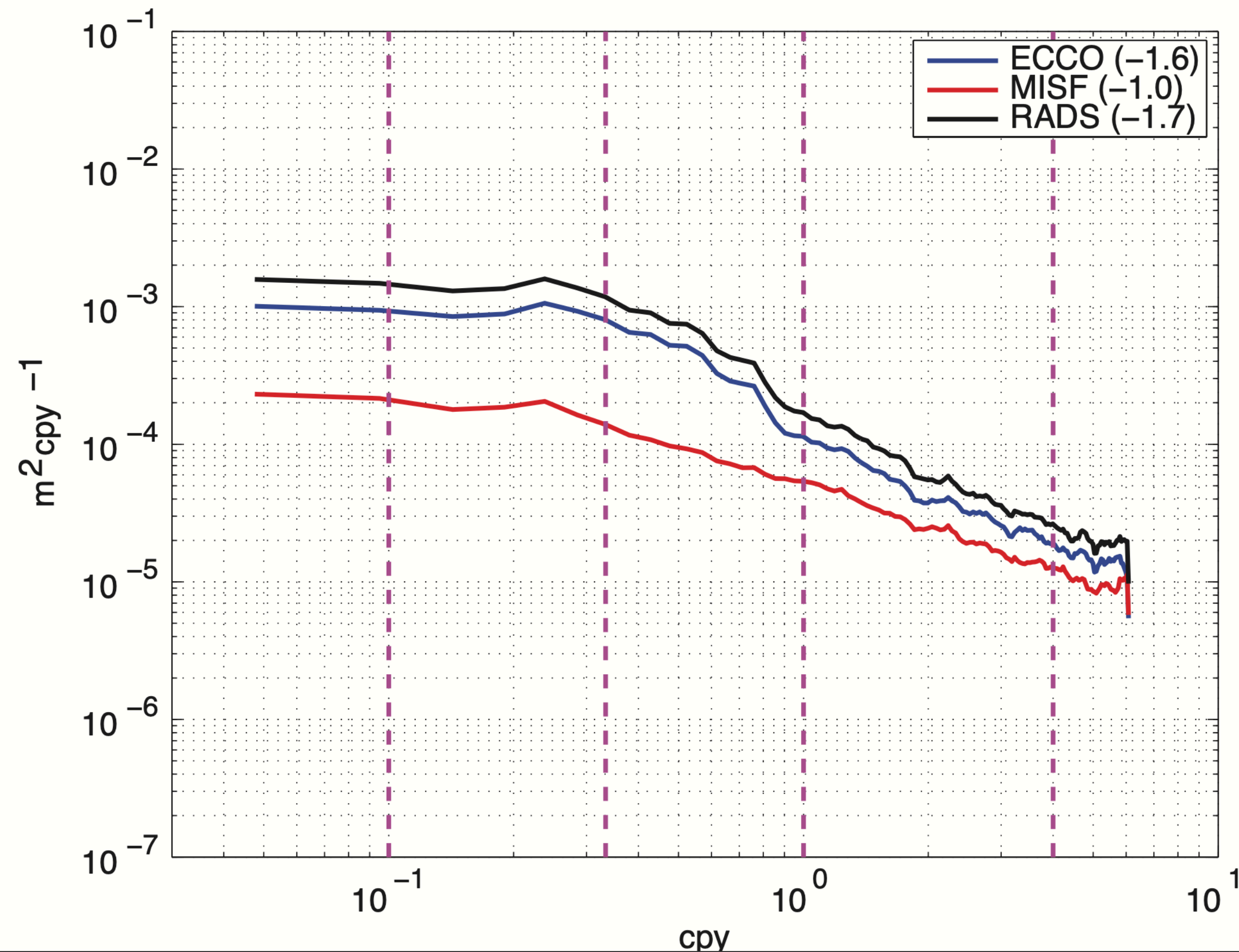


1. Compute local frequency spectra; 2. Global average of frequency spectra

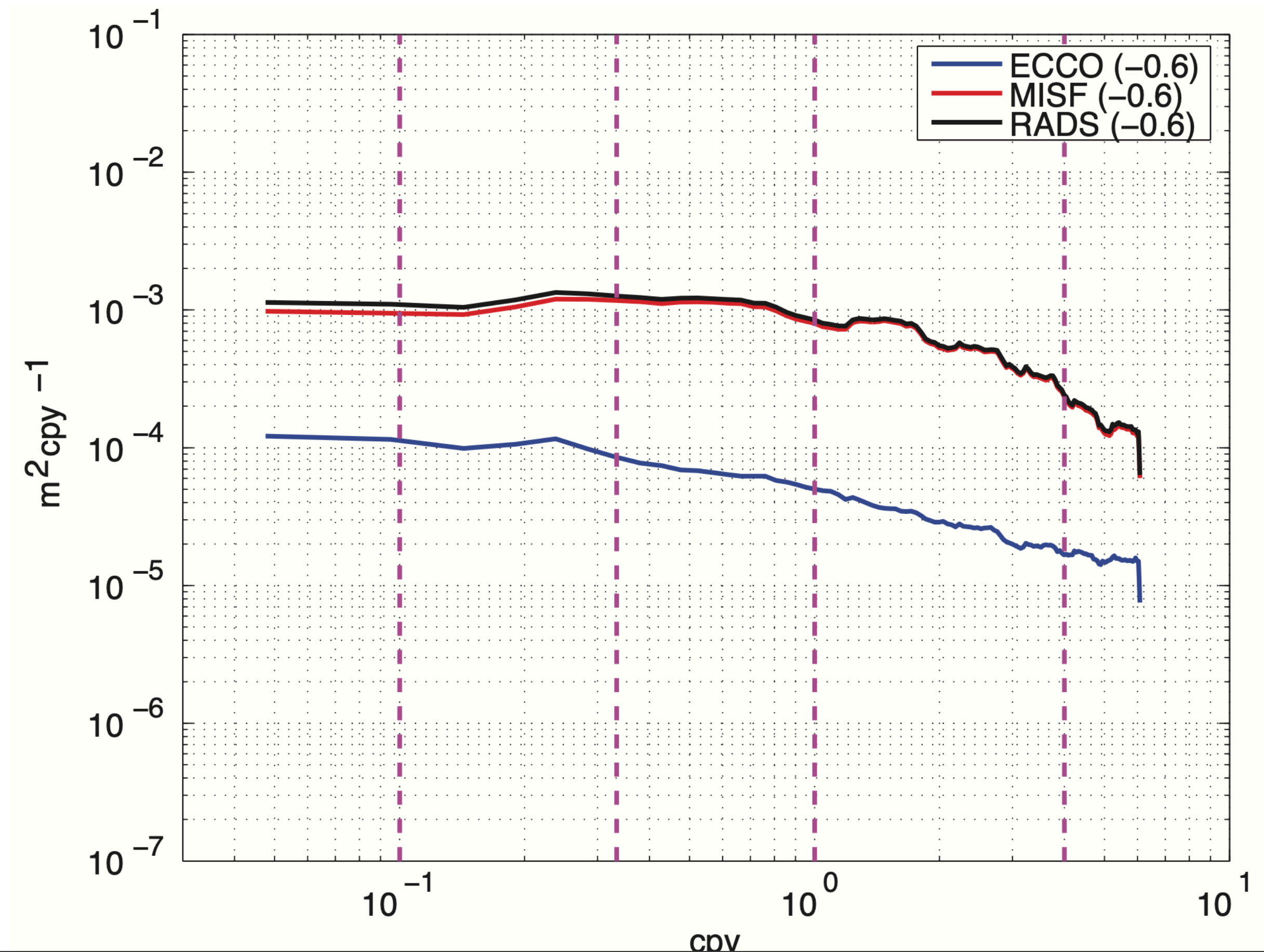
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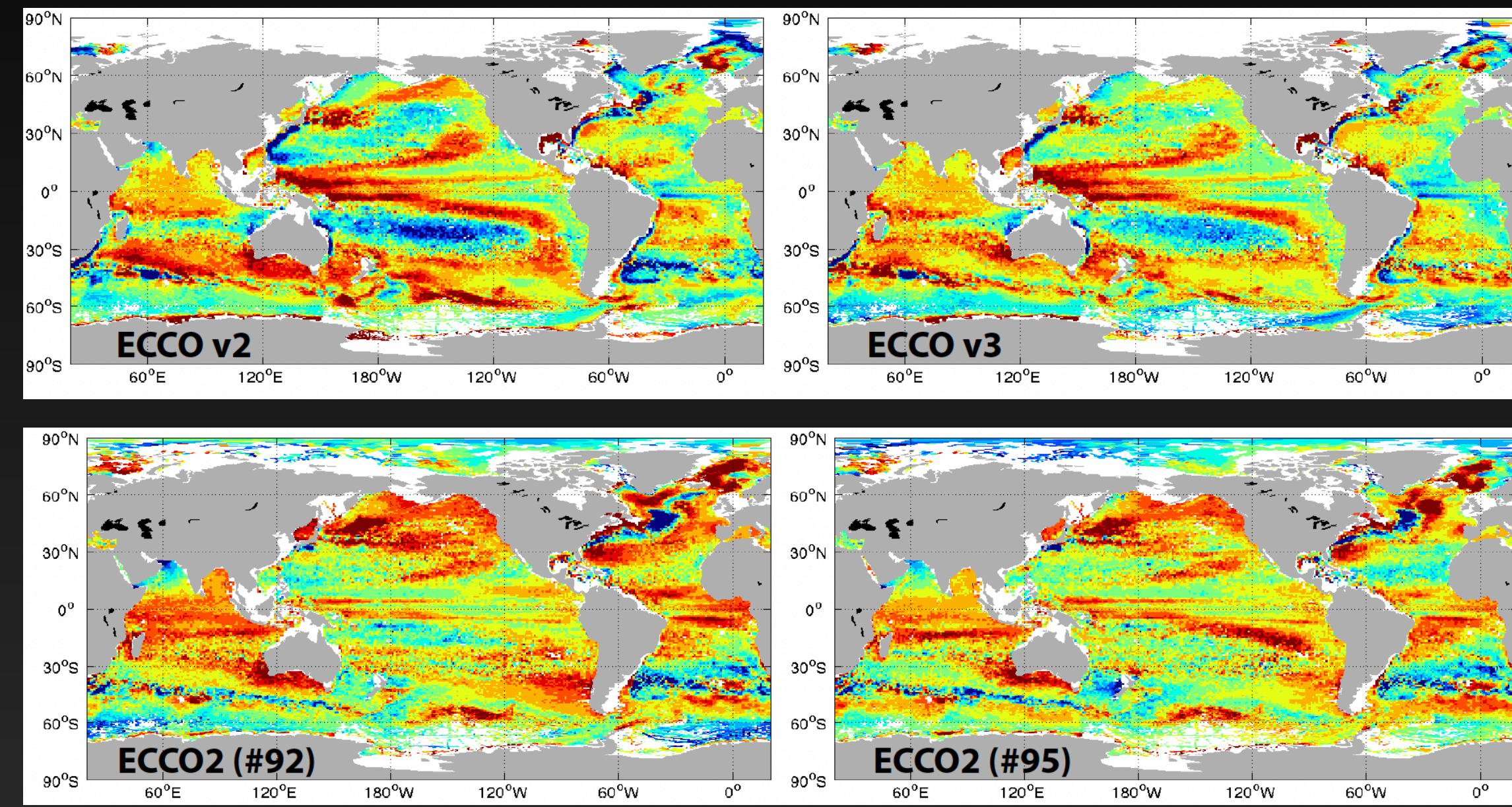
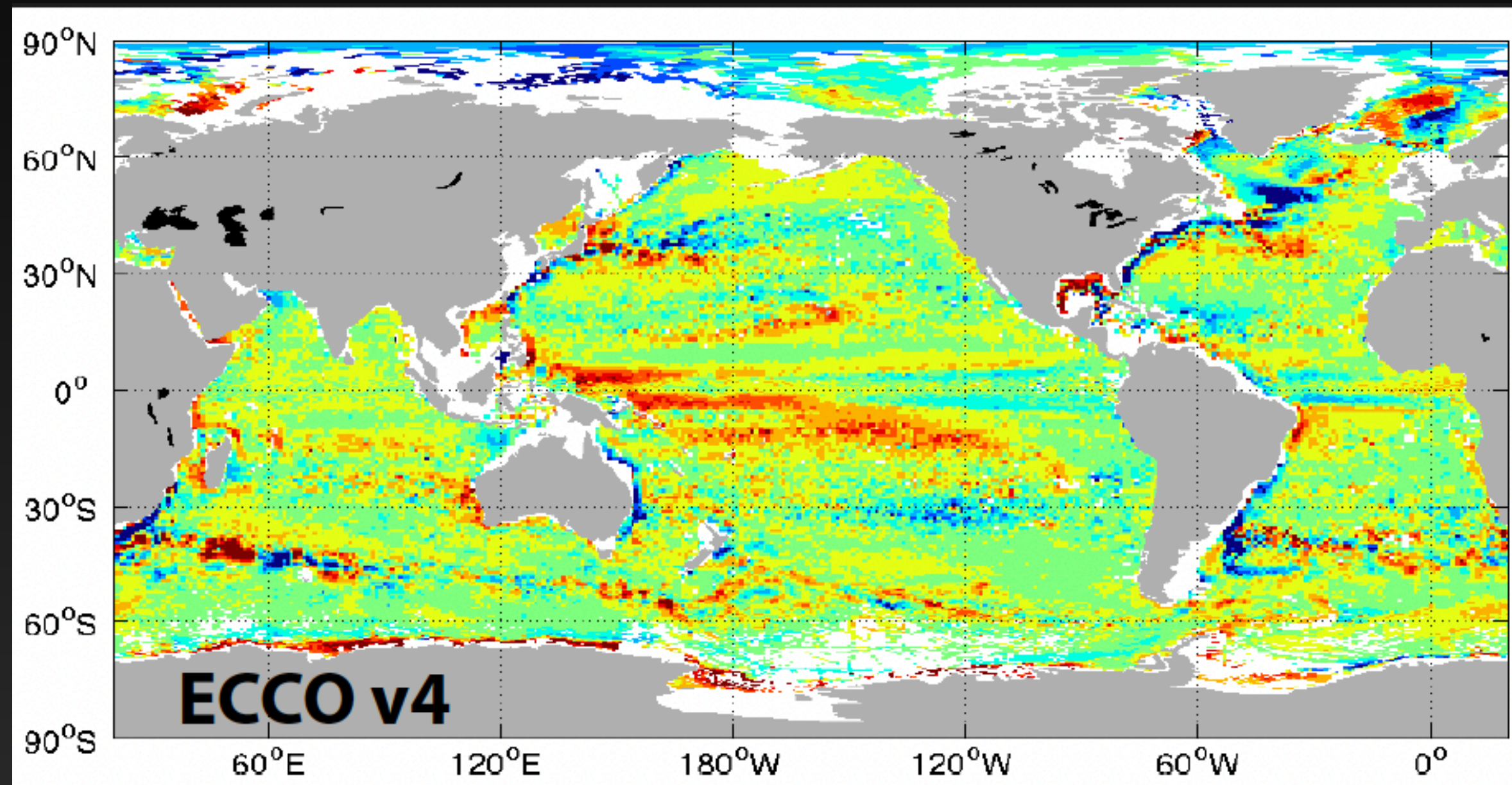


Meso Scale



1. Compute local frequency spectra; 2. Global average of frequency spectra

Improved fit to Argo in ECCO4 by optimizing *mixing* parameters



Temperature Misfits (ECCO minus Argo+)

- Forget et al 2015a , <https://doi.org/10.5194/gmd-8-3071-2015>
- Forget et al 2015b , <https://doi.org/10.5194/os-11-839-2015>

Mapping Ocean Observations in a Dynamical Framework: A 2004–06 Ocean Atlas Forget, JPO, 2010

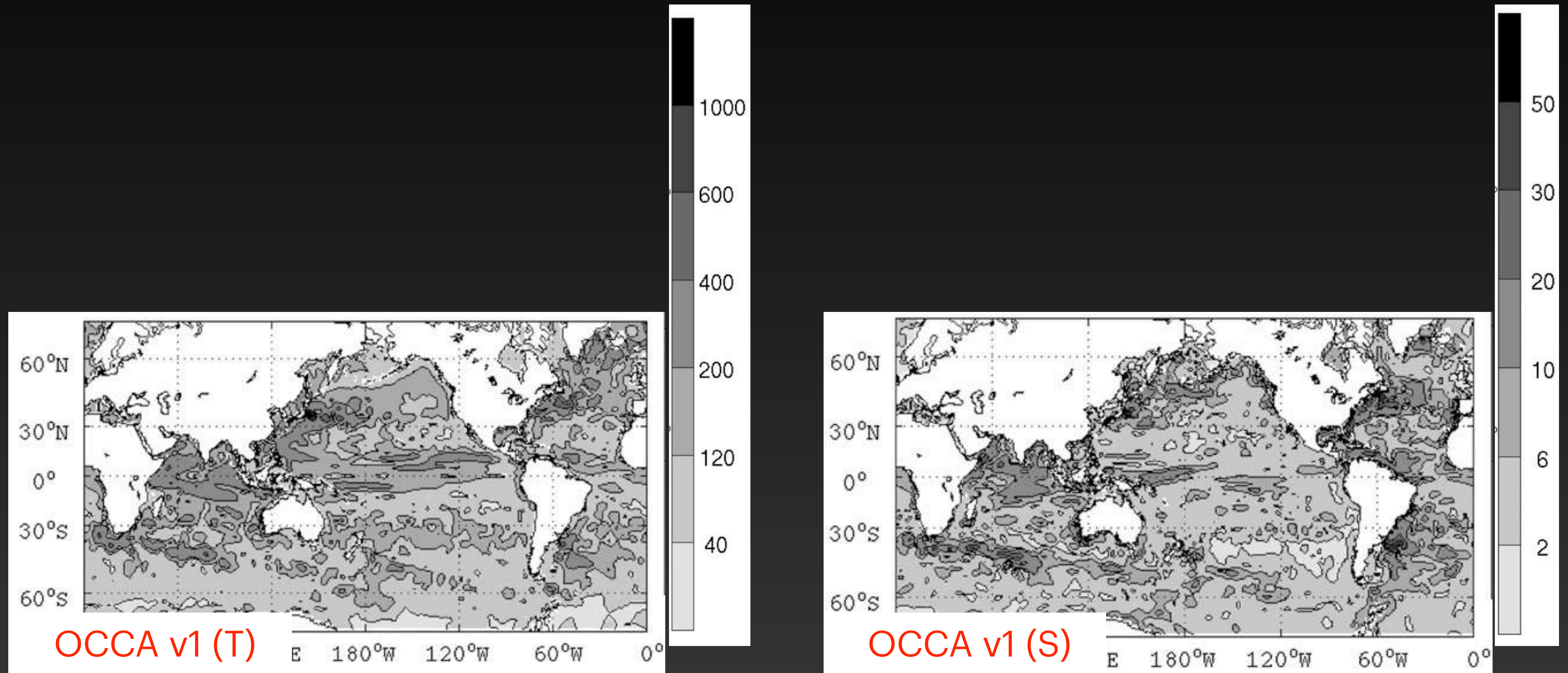


FIG. 14. Magnitude of the flux divergence fluctuation that is implied by the seasonal cycle of the vertically integrated (left) heat (W m^{-2}) and (right) freshwater (mm day^{-1}) content, for (top) *WOA01*, (middle) Fourier truncated *WOA01* (see appendix A), and (bottom) OCCA. The implied fluxes diagnostic computation is $\|\Delta\mathcal{H}/\Delta t\|$, where $\Delta\mathcal{H}$ is the content difference from one month to the next, Δt is

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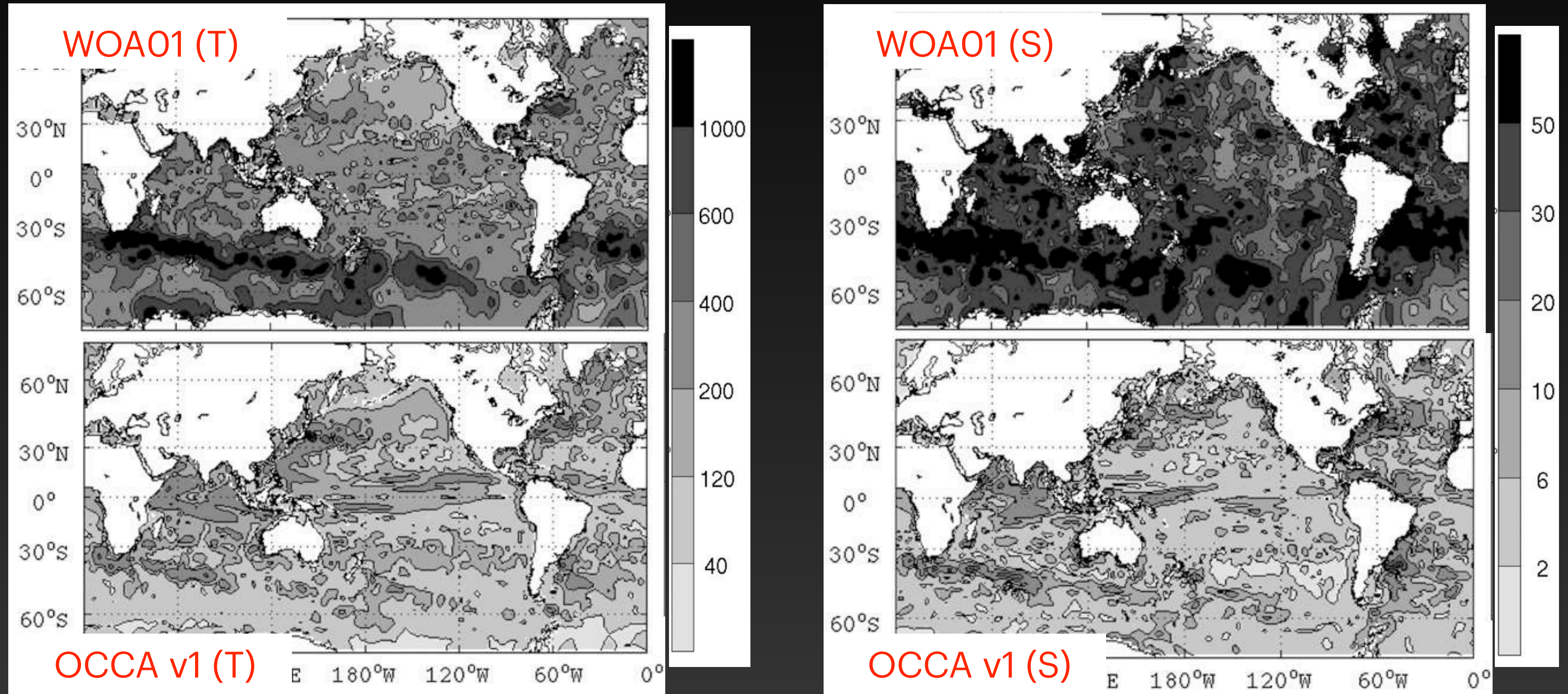


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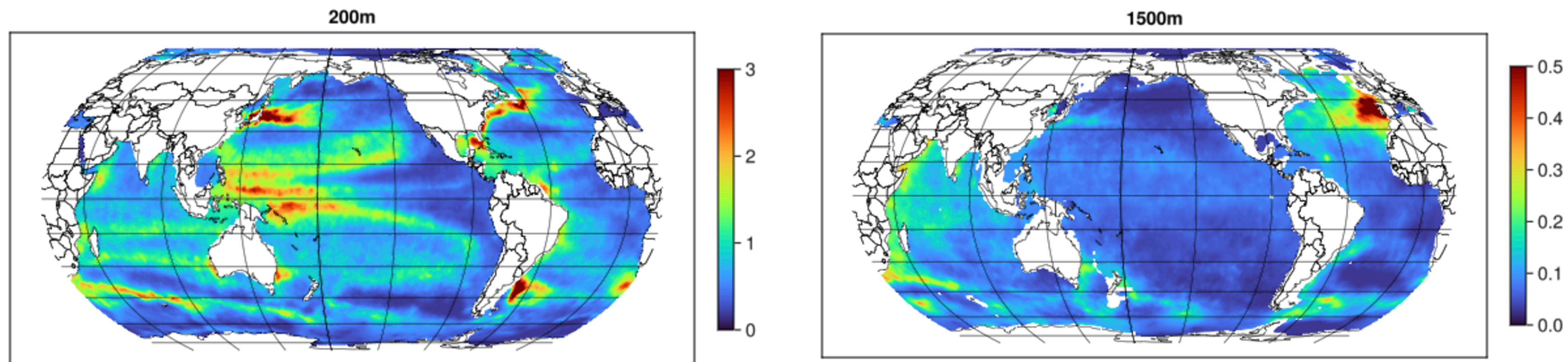
- What's ECCO?
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In-situ T/S profiles in ECCO

Forget and Wunsch 2007 (updated)

Representation error for climatology estimation

e.g. $\sigma_T(x, y, 200)$ vs $\sigma_T(x, y, 1500)$

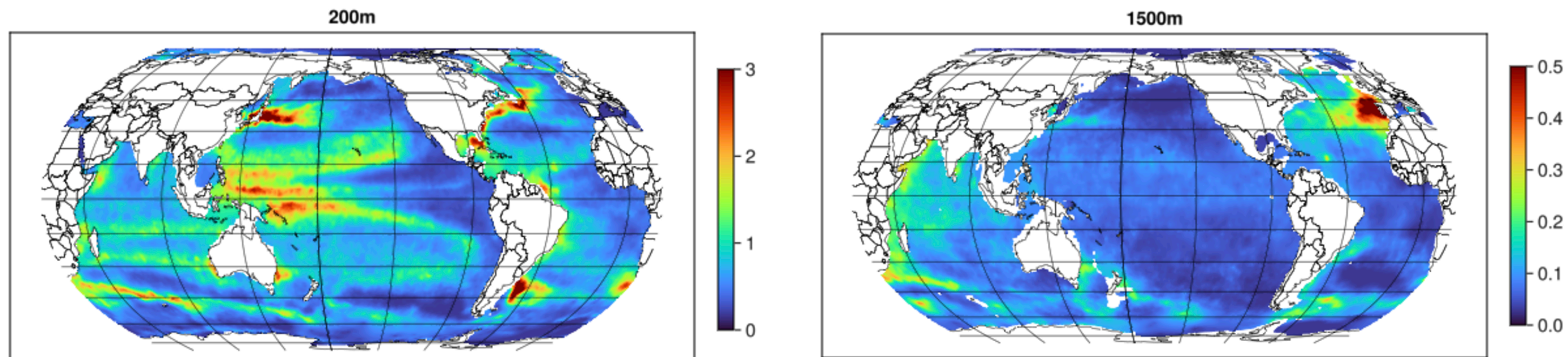


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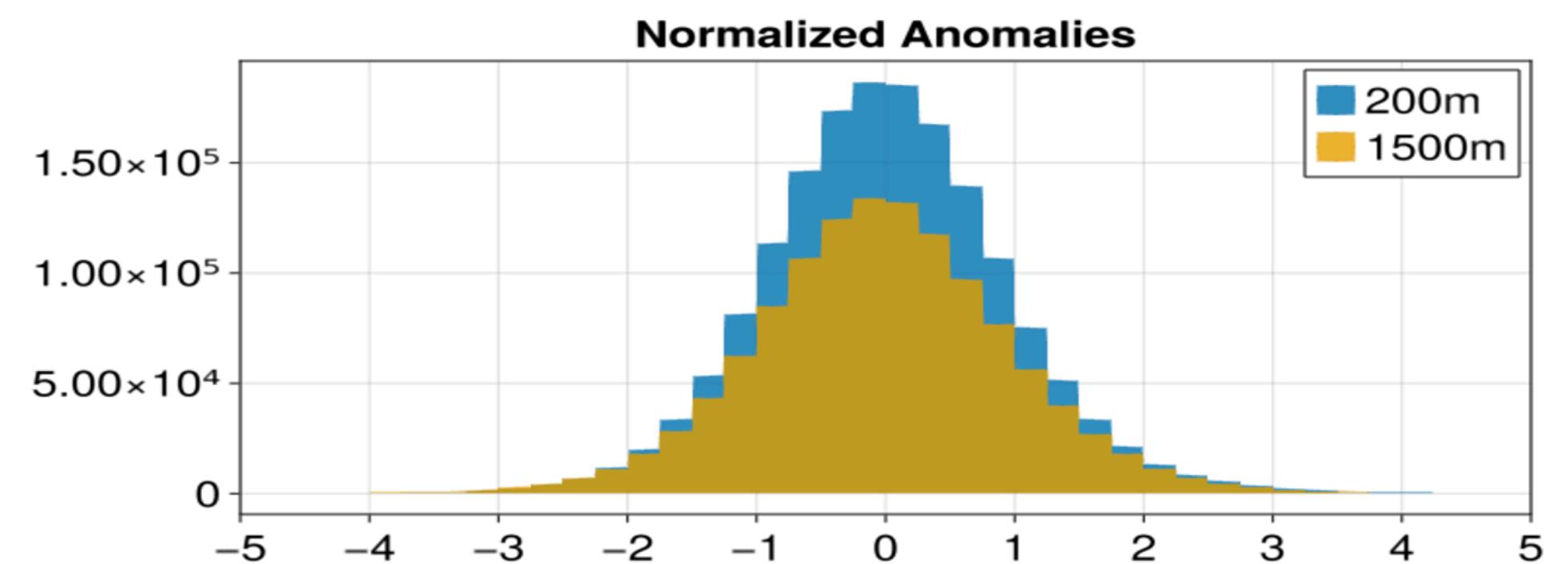
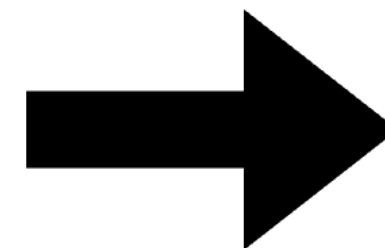
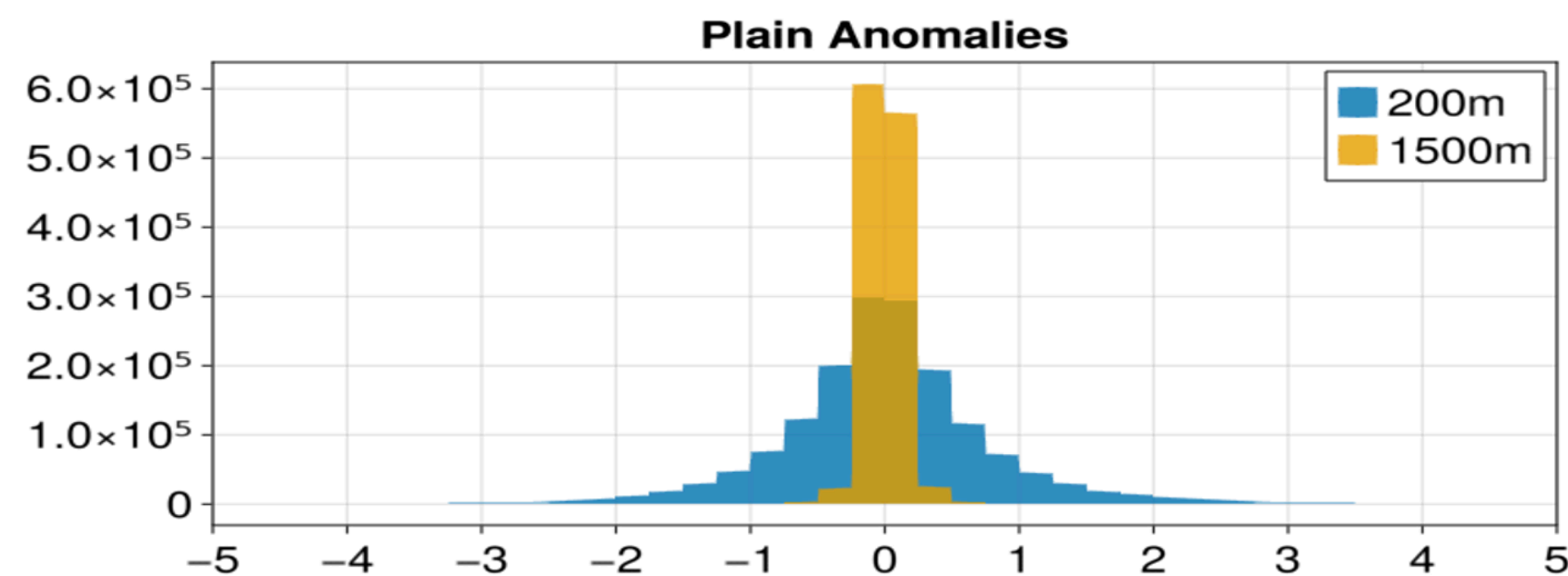
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Normalizing Anomalies

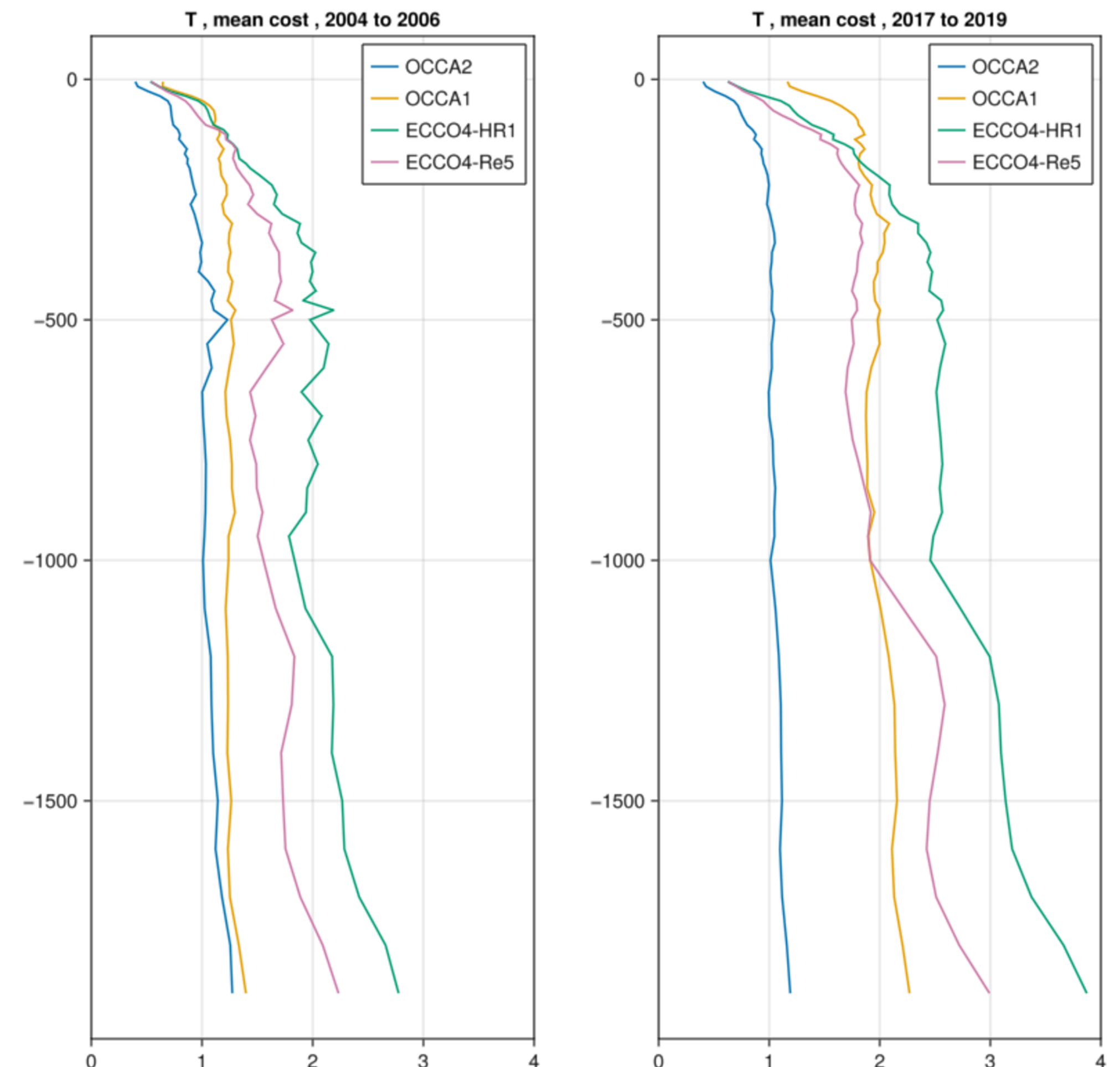
PDF of Climatology minus Argo



In-situ T/S profiles in ECCO

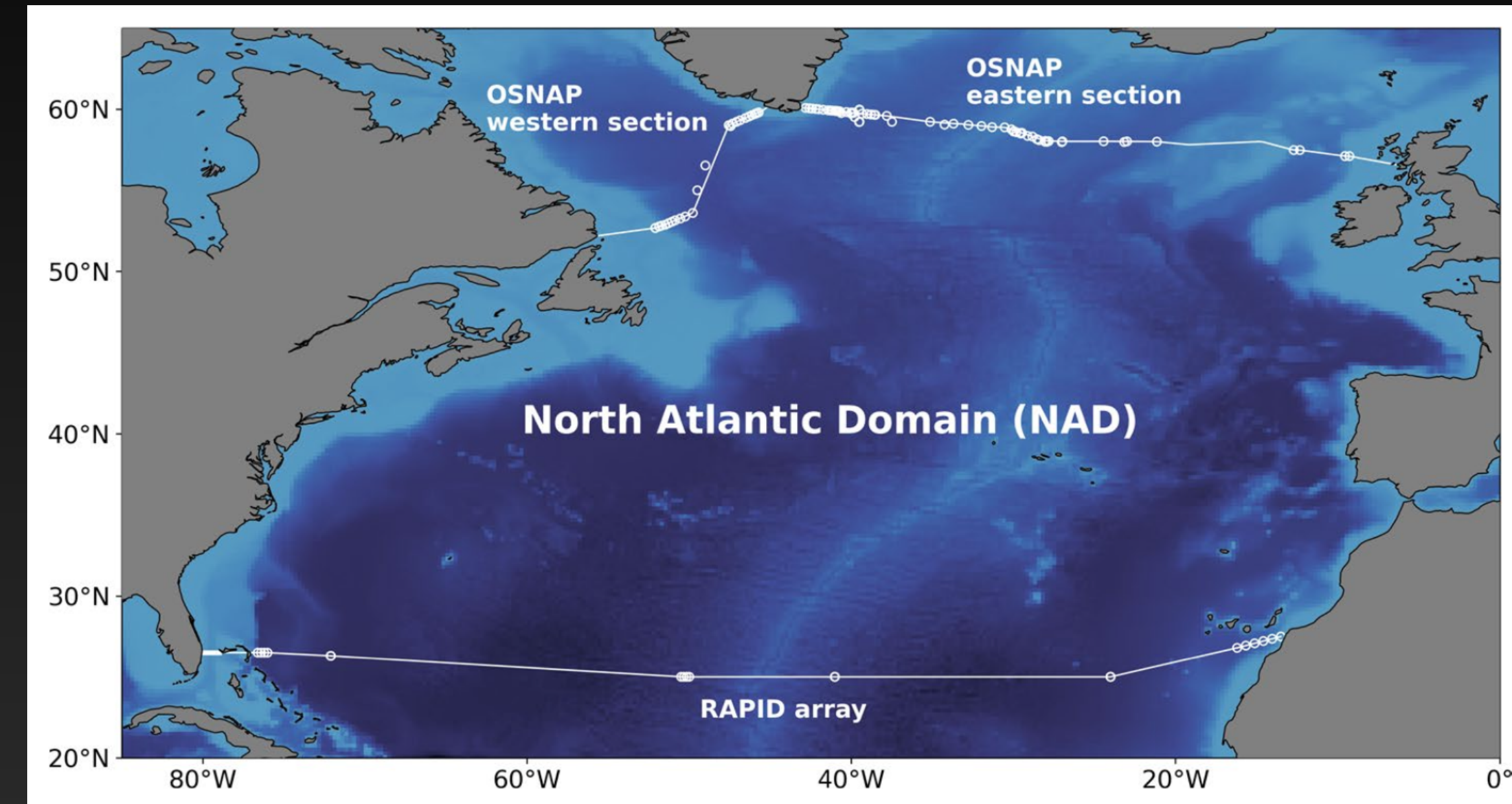
representation error and cost function for climatology estimation

- Goal : define normalized data-to-estimate distance (i.e., cost function)
- Representation Error = signal NOT well resolved by data or estimate
 - e.g., meso- and submeso-scale signals in Argo (3 degree resolution)
 - same signals in Argo objective mapping like IAP, NCEI, or ECCO
- Forget and Wunsch 2007 (Argo, or any T/S profile) :
 - estimate $\sigma_T^2 = \overline{(T_{obs} - T_{est})^2}$ via sample variance
 - Map out $\sigma_T^2(x, y, z)$ via objective mapping
 - Cost function = $\overline{(T - T_{obs})^2 / \sigma_T^2}$
- Other example : Forget & Ponte 2015 (altimetry)
- Use Cases : Forget 2011 (OCCA), Forget et al 2015 (ECCO4)
- Work in Progress :
 - Monthly mapping $\sigma_T^2(x, y, z, t)$ for 0-2000m
 - Subtract ECCO, rather than climatology, as T_{est}



Uncertainty Quantification via Ensembles

Ocean Heat Transport Estimates



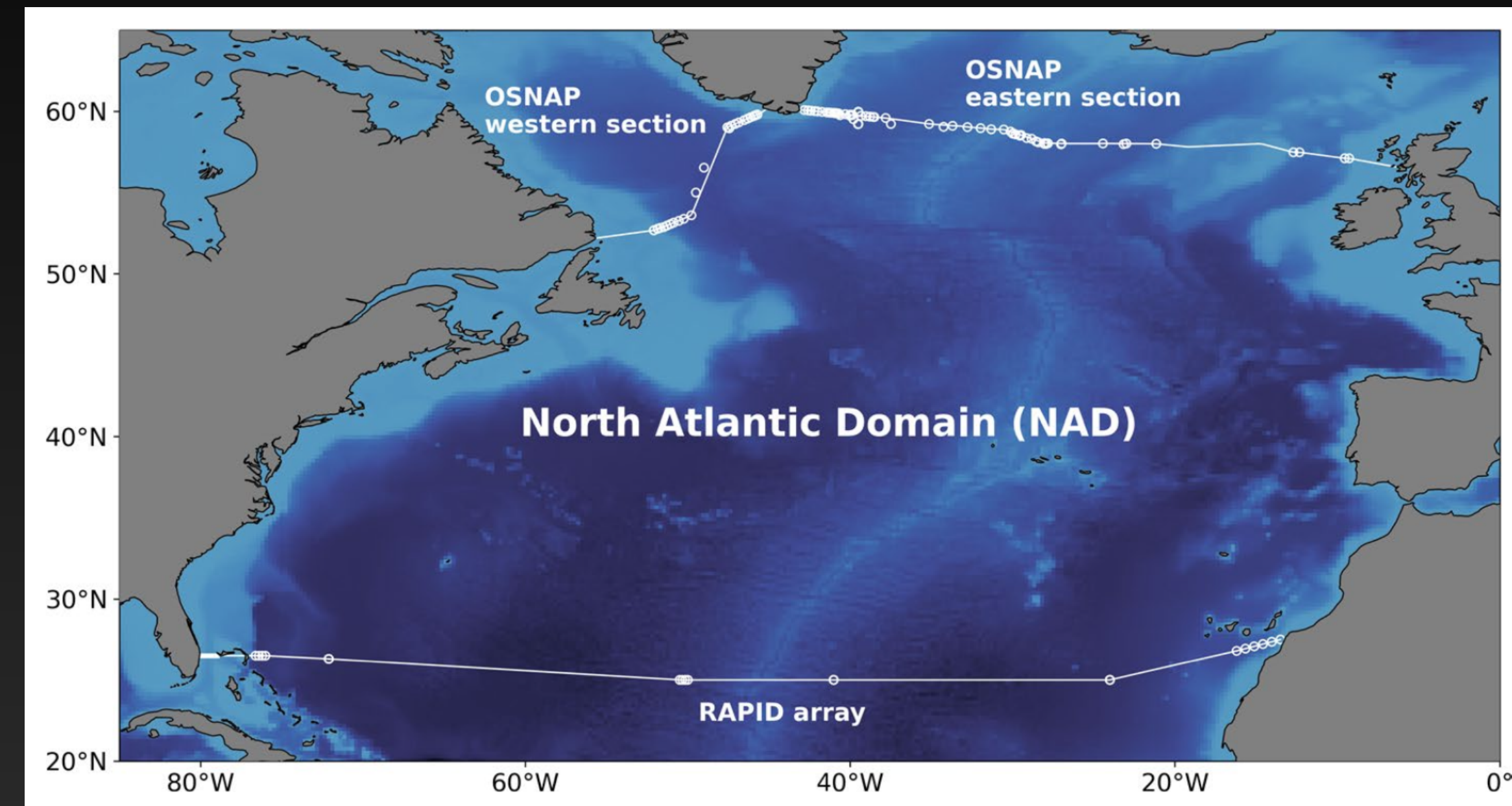
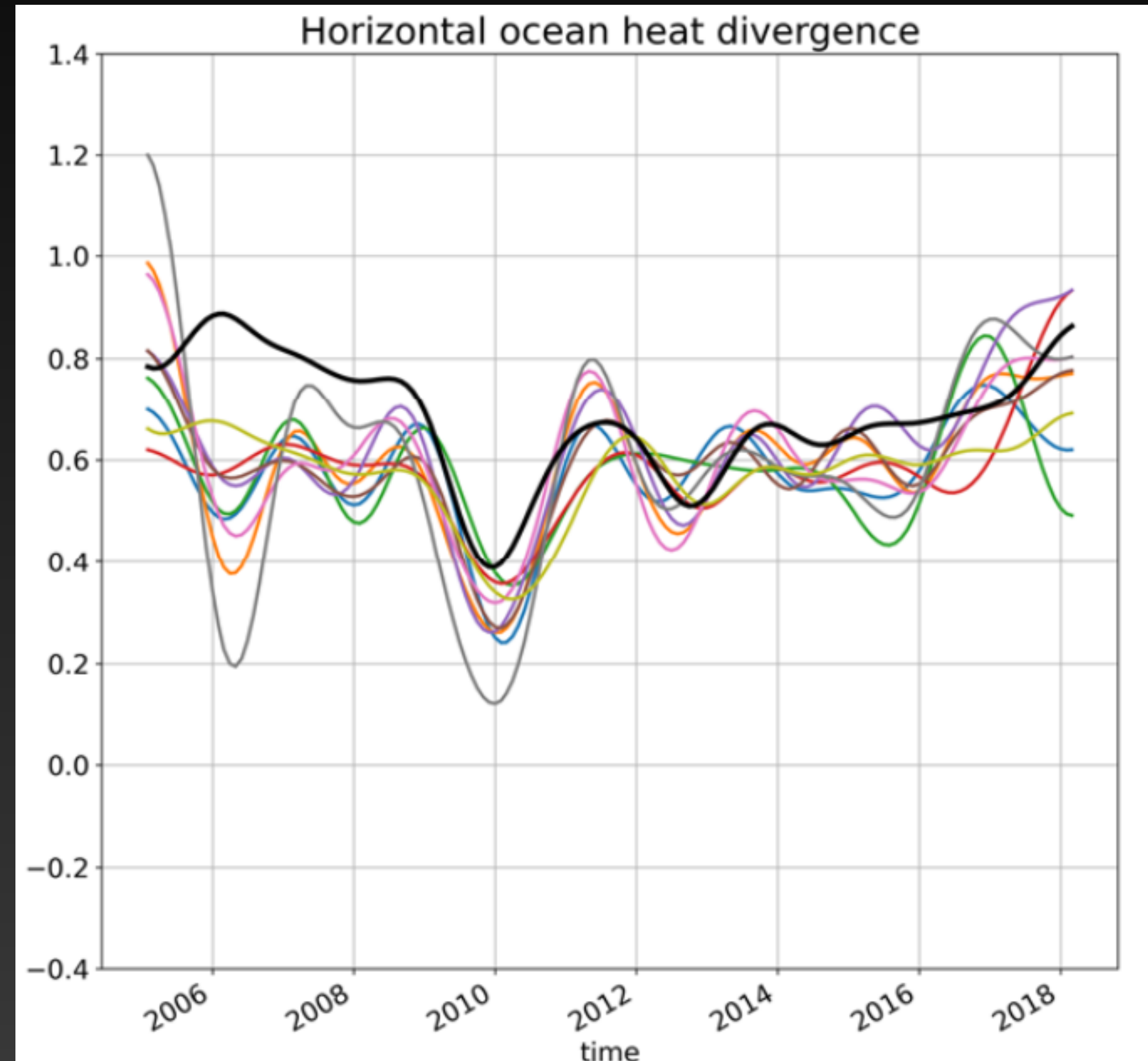
Meyssignac, B., S. Fourest, Michael Mayer, et al.

North Atlantic Heat Transport Convergence
Derived from a Regional Energy Budget Using
Different Ocean Heat Content Estimates

Surveys in Geophysics, 2024

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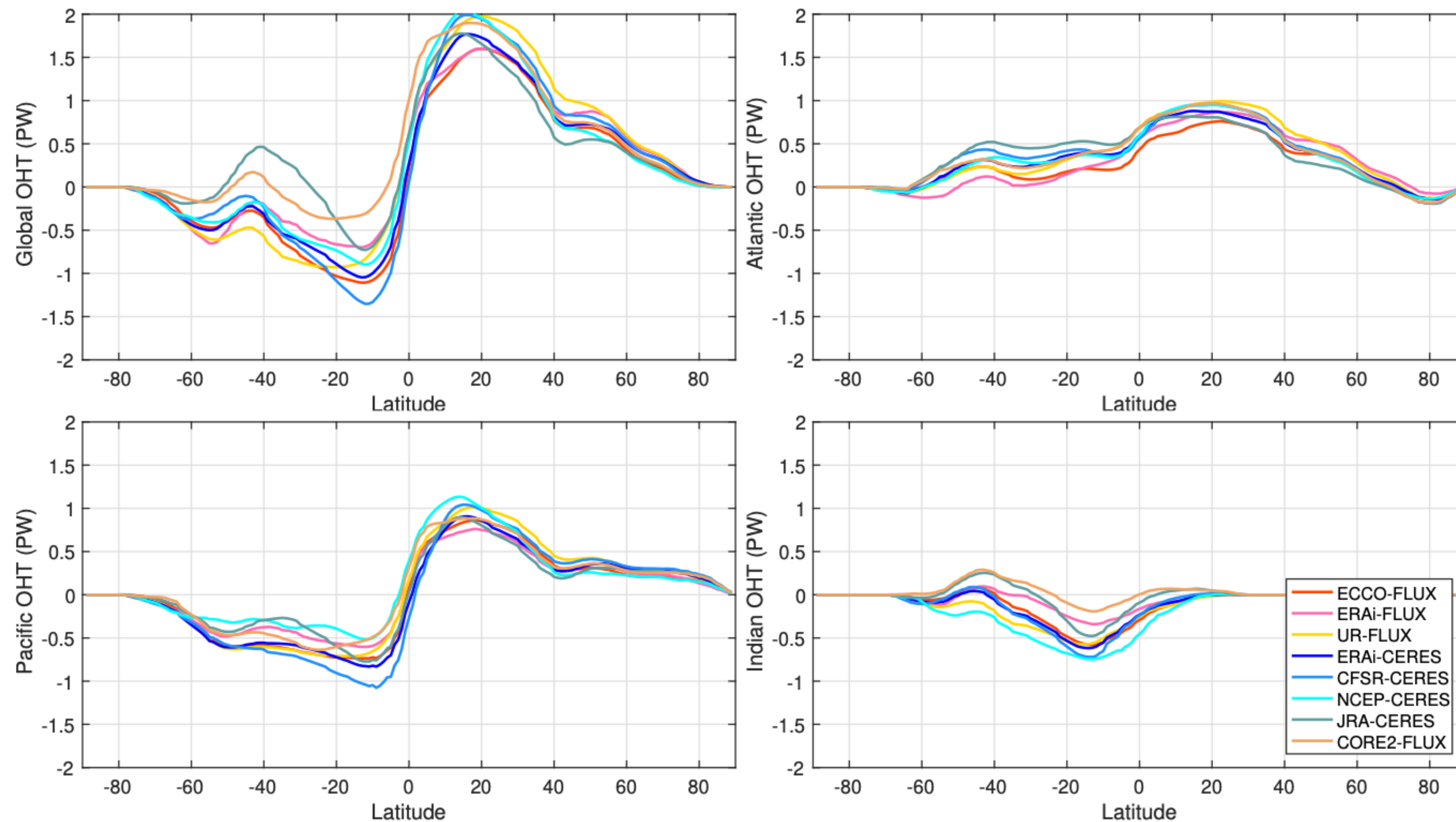


Figure S7: Meridional ocean heat transports (in PW) for the Global Ocean (top left), Atlantic (top right), Pacific (bottom left), and Indian (bottom right) inferred from various air-sea heat flux



See Supplementary of

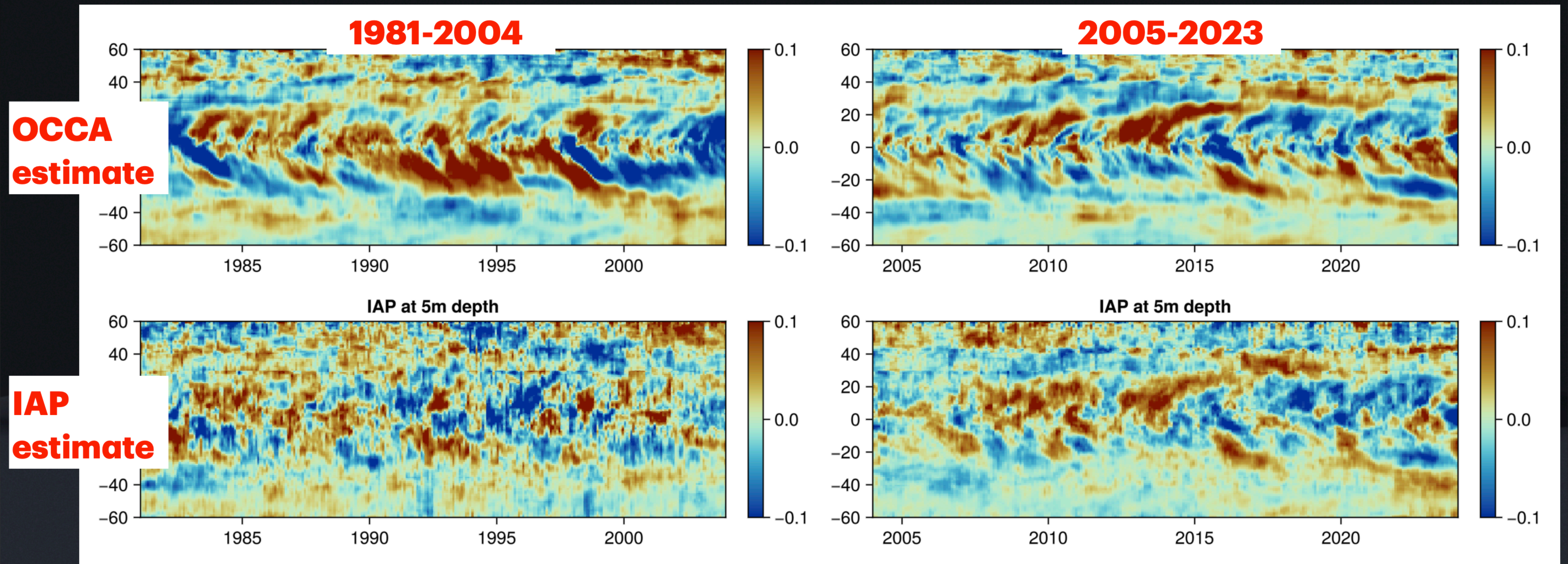
Forget & Ferreira 2019

Global ocean heat transport dominated by heat export from the tropical Pacific.

Nat. Geosci. **12**, 351–354 (2019)

Uncertainty Quantification via Ensembles

Surface Salinity Anomaly Estimates



(from my presentation at GEWEX Meeting, 2024)

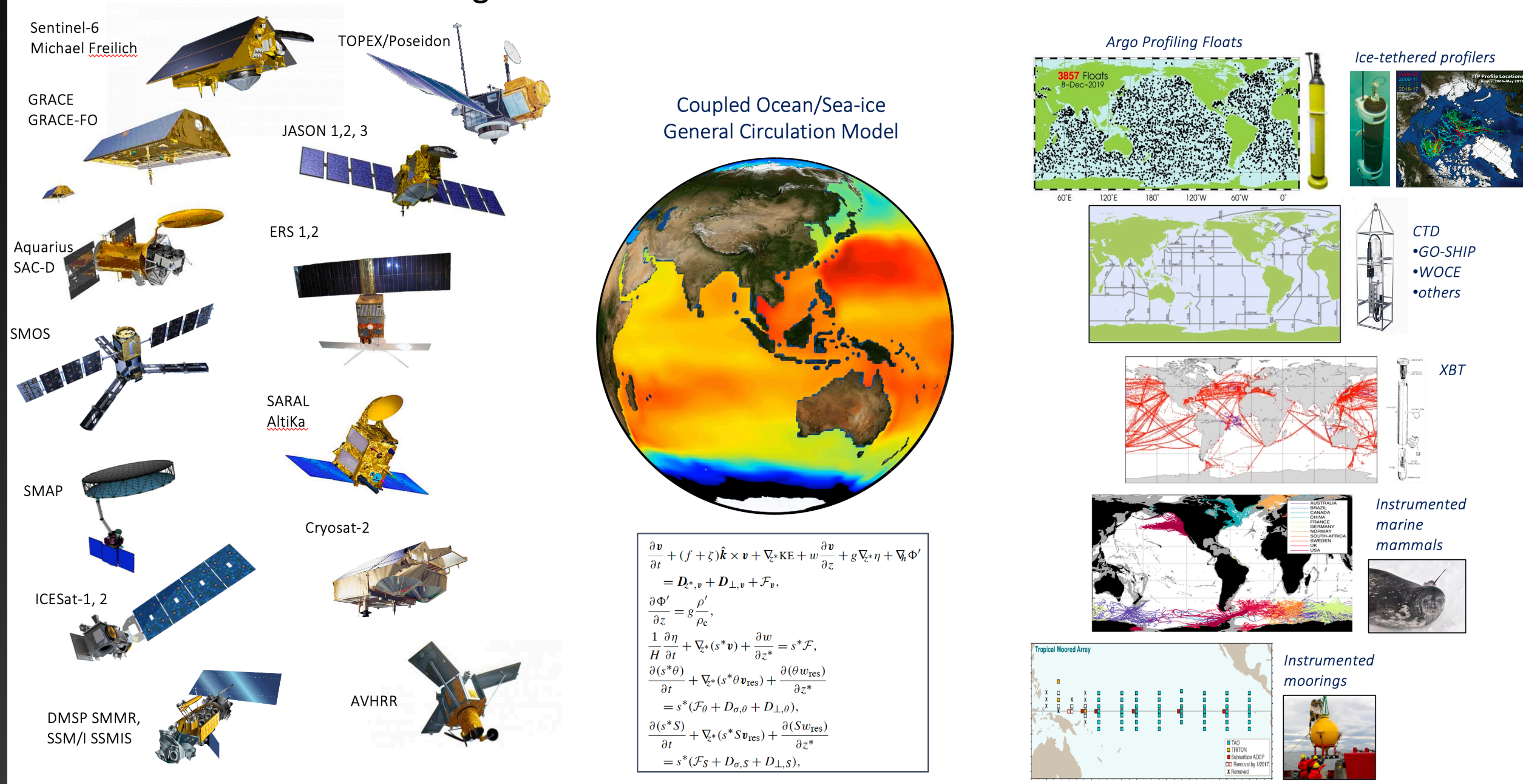
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ECCO central production at JPL

Wang, Fenty, Fukumori, Forget, et al

ECCO state estimates are *multi-platform, multi-instrument, multi-variable* synthesis products that integrate ocean and ice observations and models



ECCO : community at large

- Use of ECCO state estimates :
 - *~ 2000 papers listed @ ecco-group.org*
- Use of the ECCO estimation framework :
 - *(MIT, JPL,) SIO, UT Austin, WHOI, NCAR, U Washington*
 - *AWI, U Hamburg, BAS, Oxford, ...*

ECCO : the next generation

<https://ecco-hackweek.github.io/ecco-2024/>



ECCO HACK WEEK

Q Search

% + K

Welcome to ECCO HackWeek!

Details

Event Logistics
Schedule [↗](#)
Team [↗](#)
Participant Conduct

Preparation

What to Expect
Checklist
Intro to Open Science Studio and

Digital Twins for Ocean Robots

▼ Data (Julia)

- [Climatology.jl](#)  : accessing, reading, displaying, and analyzing climate data sets stars 15
- [OceanRobots.jl](#)  : analysis and simulation of data generated by ocean robots stars 23
- [ArgoData.jl](#)  : Argo data processing and analysis stars 18

▼ Data (Julia, 2)

- [OceanColorData.jl](#)  : Ocean color data processing and analysis stars 10
- [Marine Ecosystems](#) : marine ecosystem observations and models github 403
- [Dataverse.jl](#)  : interfaces to [Dataverse](#) APIs, collections, datasets, etc stars 7

▼ Models (Julia)

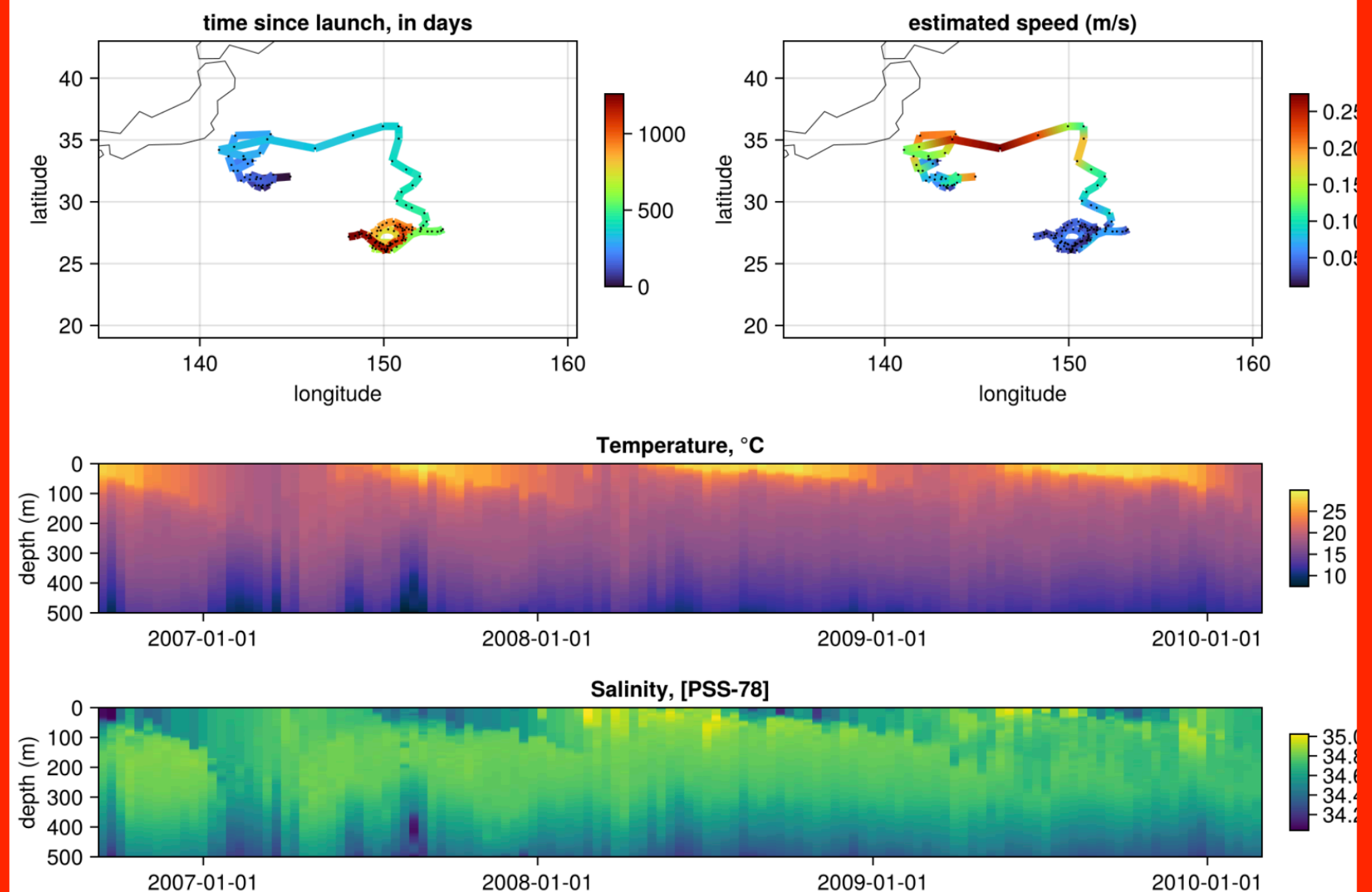
- [ClimateModels.jl](#)  : uniform interface to climate models of varying complexity stars 43
- [MITgcm.jl](#)  : framework to interact with MITgcm (setup, run, output, plot, ...) stars 31
- [MeshArrays.jl](#)  : gridded Earth variables, global domain decomposition, and C-grid support stars 42

▼ Models (Julia, 2)

- [ECCO.jl](#)  : package enables with automatic differentiation and optimization packages stars 7
- [Drifters.jl](#)  : trajectory simulations for point particles in the Ocean and Atmosphere stars 36
- [PlanktonIndividuals.jl](#)  : simulation of plankton communities and their interaction with environmental factors stars 30

Code 1: Download and visualize one Argo float data as in Fig. 4.

```
1 using OceanRobots, ArgoData, CairoMakie
2
3 lst=GDAC.files_list(); wmo=6900900
4 argo=read(ArgoFloat(),wmo=wmo,files_list=lst)
5
6 fig=plot(argo,option=:standard)
```



Extra Slides

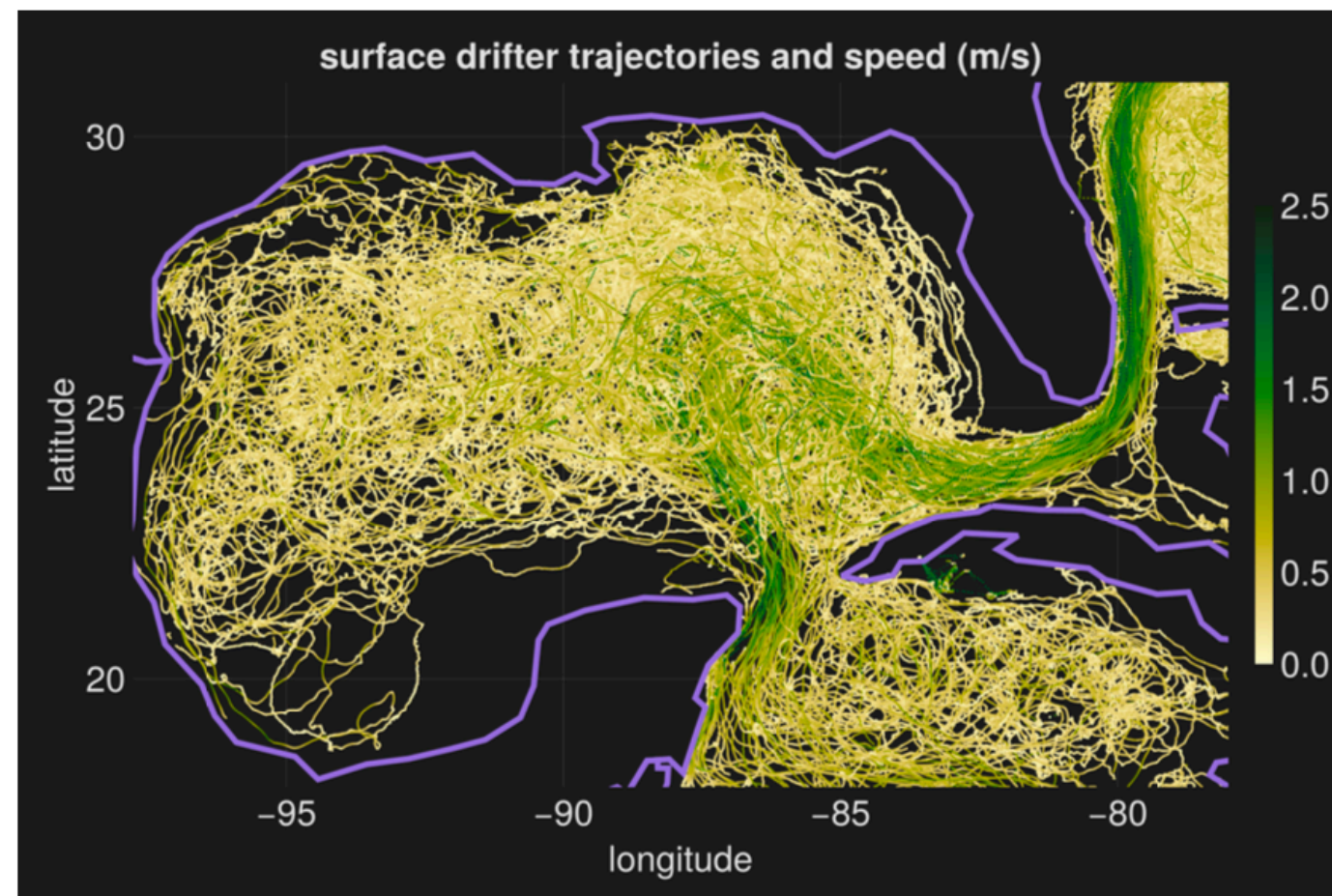


Fig. 6: Drifter trajectories in the Gulf of Mexico region. Large velocities highlight the path of the Gulf Stream, being fed by the loop current.

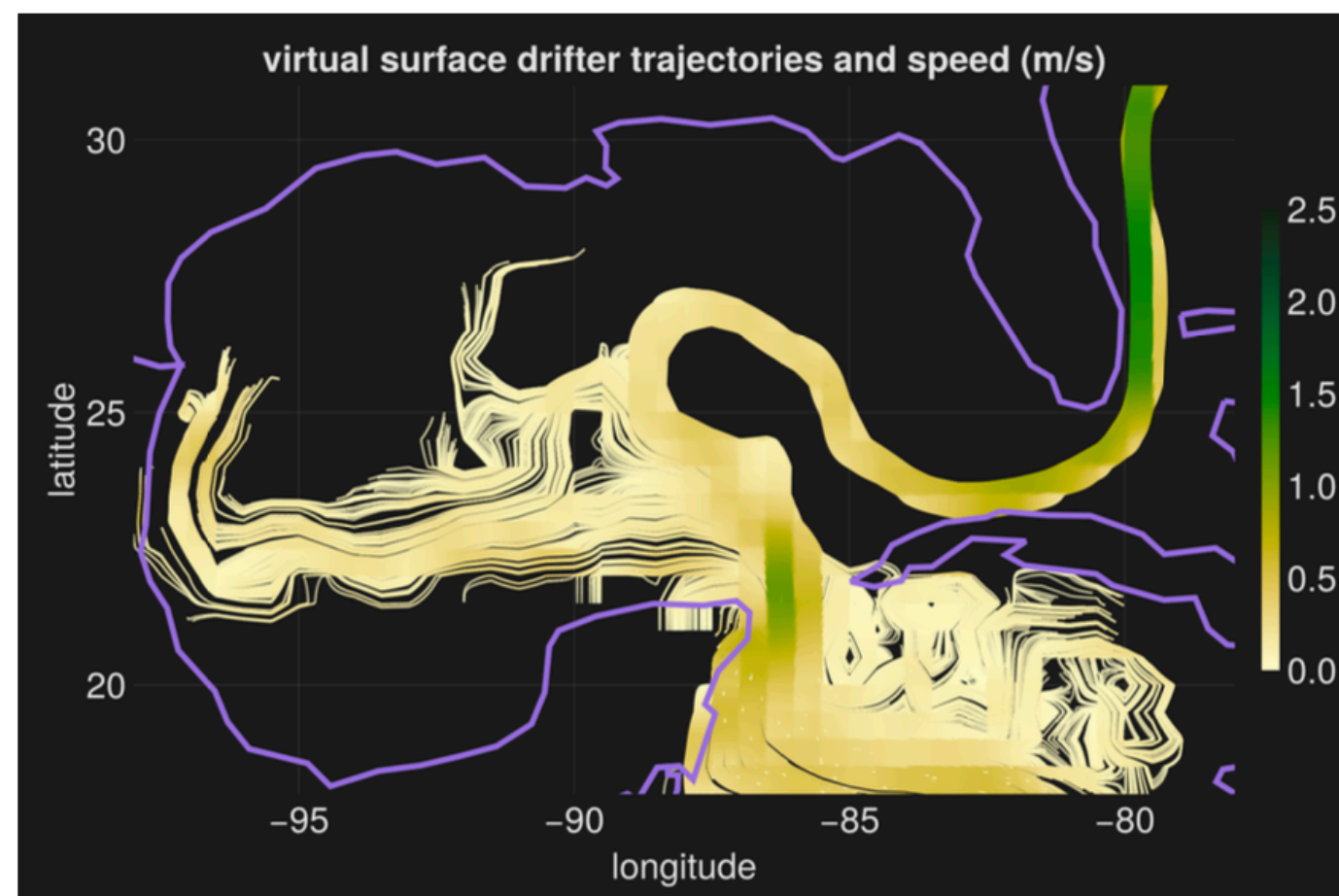


Fig. 7: Virtual drifter trajectories predicted using (1) just the climatological mean flow field estimated from drifters (Fig. 3, and the northward component) and (2) DRIFTERS.JL to calculate trajectories.

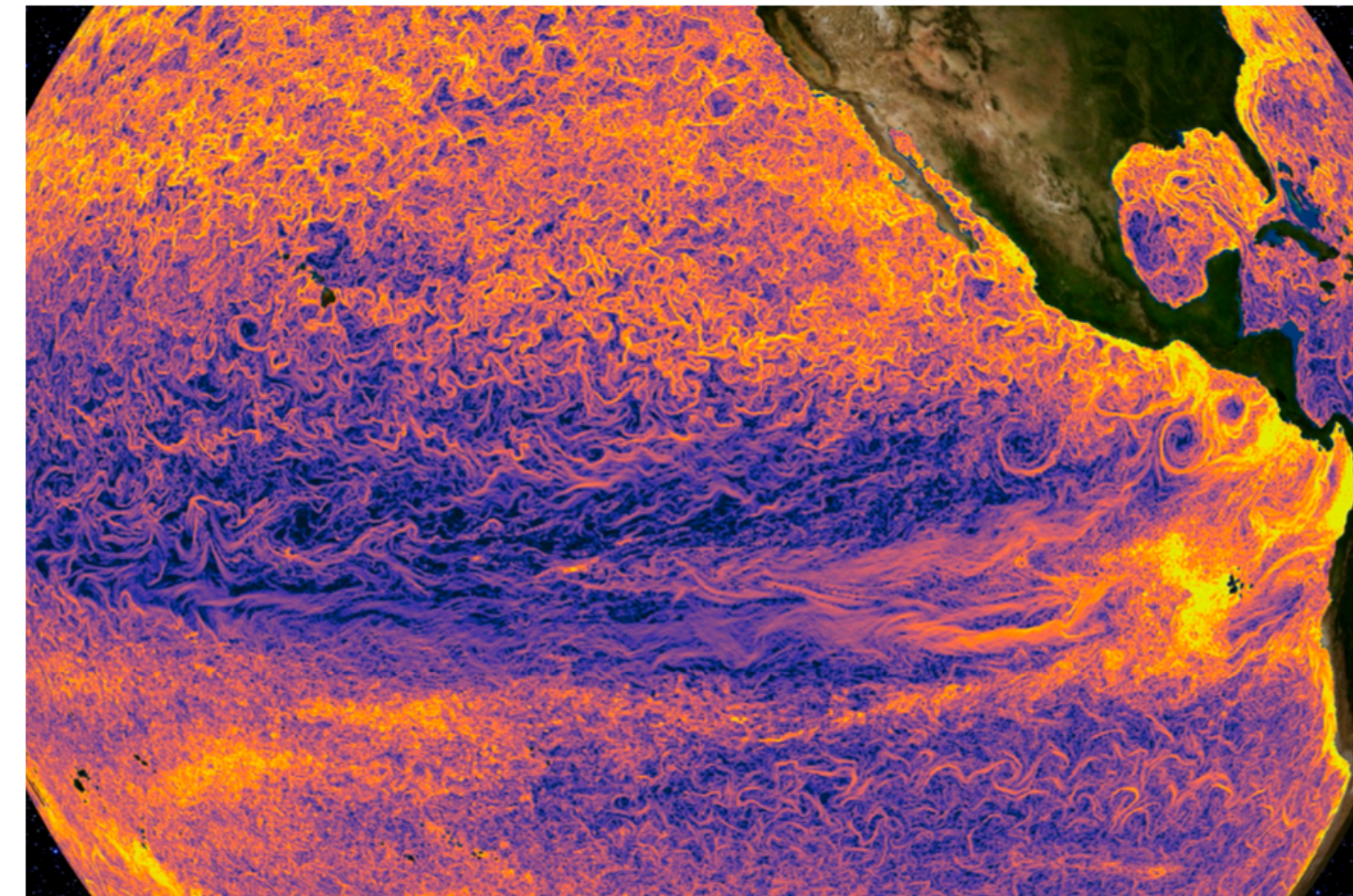


Fig. 8: Temperature fronts in a global km-scale MITgcm simulation. Plotted is the logarithm of the spatial gradient of a temperature snapshot.

